

## RESEARCH ARTICLE

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## Mesoscale eddy effects on the subduction of North Pacific mode waters

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## Key Points:

- Eddy subduction preferentially occurs south of the winter mean outcrop
- Eddy subduction happens on the eastern flank of anticyclonic eddies
- Eddies zonally expand the subduction sites within the deep MLD

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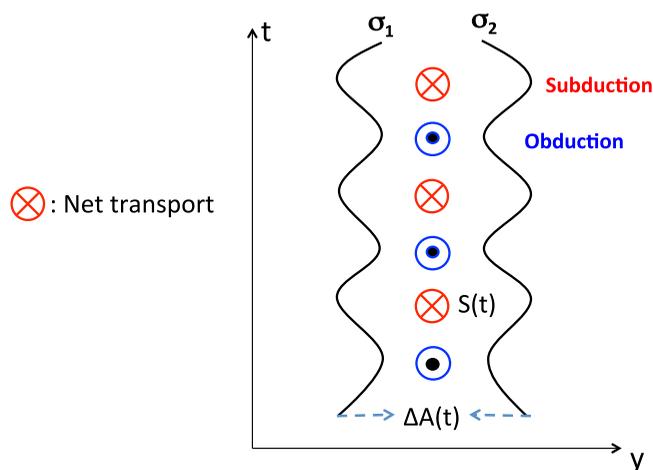
**Abstract** Mesoscale eddy effects on the subduction of North Pacific mode waters are investigated by comparing observations and ocean general circulation models where eddies are either parameterized or resolved. The eddy-resolving models produce results closer to observations than the noneddy-resolving model. There are large discrepancies in subduction patterns between eddy-resolving and noneddy-resolving models. In the noneddy-resolving model, subduction on a given isopycnal is limited to the cross point between the mixed layer depth (MLD) front and the outcrop line whereas in eddy-resolving models and observations, subduction takes place in a broader, zonally elongated band within the deep mixed layer region. Mesoscale eddies significantly enhance the total subduction rate, helping create remarkable peaks in the volume histogram that correspond to North Pacific subtropical mode water (STMW) and central mode water (CMW). Eddy-enhanced subduction preferentially occurs south of the winter mean outcrop. With an anticyclonic eddy to the west and a cyclonic eddy to the east, the outcrop line meanders south, and the thermocline/MLD shoals eastward. As eddies propagate westward, the MLD shoals, shielding the water of low potential vorticity from the atmosphere. The southward eddy flow then carries the subducted water mass into the thermocline. The eddy subduction processes revealed here have important implications for designing field observations and improving models.

## 1. Introduction

Mode waters, nearly vertically homogeneous layers within the main thermocline, are distinctive water masses commonly seen in the subtropical gyres of the world ocean [Hanawa and Talley, 2001]. Mode waters are believed to play an important role in climate variability. They memorize wintertime ocean-atmosphere interactions and re-emerge in the surface mixed layer in the subsequent winter season to interact with the overlying atmosphere [Hanawa, 1987; Suga and Hanawa, 1990; Bingham, 1992]. They determine the stratification within the main thermocline [Kubokawa, 1997] and regulate ocean biogeochemical cycles, for example, via the oceanic uptake of atmospheric CO<sub>2</sub> [Bates et al., 2002].

A bias common to climate models in the North Pacific is that they simulate too much mode water [Ladd and Thompson, 2001; Xie et al., 2011; Xu et al., 2012a, 2012b]. The potential vorticity (PV) minimum on isopycnals, a standard identifier of mode water, is too low in climate models relative to observational estimates. This biased signature persists downstream to the south whereas the observed PV minimum is much more diffused even before moving southward in the subtropical gyre [Kobashi et al., 2006]. The overly large amount of simulated mode water may exaggerate mode water dynamics and affect the climate model's predictability. The present study compares North Pacific mode waters and subduction rates among observations and eddying and noneddy-resolving ocean general circulation models (OGCMs). In particular we investigate the role of mesoscale eddies in mode water subduction.

The effects of mesoscale eddies on mode water formation have received increasing attention over the past decade due to the concurrent increase of remotely sensed and in situ observations [Uehara et al., 2003; Qiu and Chen, 2006; Qiu et al., 2007; Oka et al., 2009], and finer resolution OGCMs which resolve these processes [Qu et al., 2002; Nishikawa et al., 2010; Oka and Qiu, 2012]. Marshall [1997] suggested that in strong frontal regions where intense baroclinic instability occurs (e.g., in the Kuroshio Extension region), an ensemble of



**Figure 1.** Schematic illustrates the eddy subduction process, resulting from the correlation between the subduction/obduction rate  $S(t)$  and the outcrop area  $\Delta A(t)$ . The solid lines represent two isopycnals,  $\sigma_1$  and  $\sigma_2$ , defining the upper and lower bounds of a particular water mass. The outcrop area is relatively larger during the subduction period compared with the obduction period, leading to the net downward volume transport. The net subduction can remain finite even when the Eulerian-mean subduction rate  $\bar{S}$  is zero. Adapted from Marshall [1997].

eddies provides advection via the “bolus velocity.” This eddy advection term may enhance the subduction rate of mode waters by an amount of the same order as the mean flow subduction. Using the output of a global high-resolution OGCM, Qu *et al.* [2002] pointed out that mesoscale eddies enhance the annual subduction rate of North Pacific subtropical mode water (STMW) and central mode water (CMW) by up to 100 m/yr, or 34% of the total subduction. Recently, Nishikawa *et al.* [2010] estimated that eddies contribute some 50% of the total mode water subduction rate based on an eddy-resolving OGCM ( $1/12^\circ \times 1/18^\circ$ ) simulation of

the western North Pacific. From a climatological viewpoint, subduction is limited to the intersections of the winter mixed layer depth (MLD) front and outcrop lines [Xie *et al.*, 2000], but eddies may broaden the horizontal extent of the subduction sites. Using Argo profiling float data, Oka and Suga [2003, 2005] found that the STMW formation region extends as far east as  $175^\circ\text{E}$ , while the CMW extends as far west as  $155^\circ\text{E}$ . Remarkably, Oka *et al.* [2009] observed newly formed CMW in the western North Pacific ( $27.5^\circ\text{N}$ ,  $145^\circ\text{E}$ ) in a high-density hydrographic survey. How eddies broaden the subduction zone has not been studied systematically.

Several physical processes of eddy subduction and transport have been identified. Anticyclonic eddies in deep mixed layers have been found to contribute substantially to STMW formation and transport [Uehara *et al.*, 2003; Pan and Liu, 2005]. Combined analyses of satellite-derived sea surface height (SSH) anomalies and Argo profiling float data suggest that STMW tends to be trapped and transported by anticyclonic eddies [Kouketsu *et al.*, 2011; Liu and Li, 2013]. Based on high-resolution OGCM results, Nishikawa *et al.* [2010] suggested two local processes as possible causes of eddy subduction: destruction of a horizontal PV gradient by eddy mixing, and the southward translation of anticyclonic eddies that carry low PV. Other processes such as the eddy-induced meandering of surface outcrops might also play an important role in eddy subduction. As illustrated schematically in Figure 1, net subduction can be finite even when the Eulerian-mean subduction is zero if eddies cause the outcrop lines of an isopycnal layer to open more widely during a subduction period than during an obduction period [see also Marshall, 1997; Kwon *et al.*, 2013]. Therefore, when evaluating the net contribution of eddies, the meandering of surface density outcrops should be taken into consideration.

The present study investigates eddy effects on the subduction of North Pacific mode waters (i.e., STMW and CMW). We wish to address the following questions: does the representation of mode water subduction differ among observations and eddy-resolving and noneddy-resolving models? If yes, how do eddies cause these differences? What are the physical processes responsible for eddy subduction? We show that there are large differences in the subduction patterns between eddy-resolving and noneddy-resolving models. Eddies significantly enhance the total subduction rate and broaden the subduction zone within the deep mixed layer region. We find that eddy subduction on isopycnals preferentially occurs south of the winter mean outcrop line. The eddy subduction takes place on the eastern (western) flank of the anticyclonic (cyclonic) eddies, where the outcrop line meanders south and the mixed layer shoals eastward. The newly formed mode waters are sheltered from the surface by the shoaling MLD and are advected to the south by the eddy flow between the anticyclonic and cyclonic eddies. The paper describes and provides evidence for these eddy subduction processes.

The rest of this paper is organized as follows. Section 2 briefly describes the models and data used in this study. Section 3 compares the mean fields related to mode water subduction as represented by eddy-resolving and noneddy-resolving models and observations. Section 4 investigates key mechanisms of eddy subduction. In section 5 we provide a summary.

## 2. Data and Methods

### 2.1. Observations

A fundamental aspect of this study is the comparison of observational and simulated quantities to gauge the relative veracity of the simulations. Mean SSH was obtained from the CNES-CLS09 product of *Rio et al.* [2011] at a spatial resolution of  $1/4^\circ$ , while weekly SSH anomaly (SSHA) for 1994–2007 came from the Archiving, Validation, and Interpretation of Satellite Oceanographic (AVISO) data [AVISO, 2008] whose horizontal resolution is  $1/3^\circ$ ; we further regridded the fields to a  $1/4^\circ$  grid. Monthly net surface heat flux data for 1994–2007, on a  $1/3^\circ$  latitude  $\times$   $1.0^\circ$  longitude grid, was acquired from the Global Ocean Data Assimilation System (GODAS; <http://www.esrl.noaa.gov/psd/>) developed at the National Centers for Environmental Prediction (NCEP). Salinity and potential temperature were obtained from the  $1^\circ$  gridded monthly Roemmich-Gilson Argo Climatology constructed from Argo float data for the period 2004–2013 [Roemmich and Gilson, 2009].

### 2.2. The Ocean Model for the Earth Simulator (OFES)

The OGCM for the Earth Simulator (OFES) is based on the third Modular Ocean Model (MOM3), which was substantially modified for optimal performance on the Earth Simulator. The model domain extends from  $75^\circ\text{S}$  to  $75^\circ\text{N}$ , with a horizontal grid spacing of  $1/10^\circ$ . The vertical spacing varies from 5 m at the surface to 330 m at the maximum depth of 6065 m. There are 54 vertical levels. The model was spun up for 50 years using National Centers for Environmental Prediction and the National Center for Atmospheric Research (NCEP/NCAR) monthly mean atmospheric reanalysis fluxes. Subsequently, it was driven by daily mean NCEP/NCAR wind stresses and surface heat fluxes for the period from 1950 to 2010. Scale-selective damping by a biharmonic operator is utilized for horizontal mixing of momentum and tracers to suppress computational noise. The viscosity and diffusivity coefficients are  $-2.7 \times 10^{10} \text{ m}^4 \text{ s}^{-1}$  for momentum and  $-9 \times 10^9 \text{ m}^4 \text{ s}^{-1}$  for tracers at the equator. They vary proportionally to the cube of the zonal grid spacing. The vertical viscosity and diffusivity are calculated using the K-profile parameterization (KPP) [Large et al., 1994]. Further details of the model and the simulation can be found in Sasaki et al. [2008] and Taguchi et al. [2007]. The 3 day model outputs are downloaded from the Asia Pacific Data Research Center (<http://apdr.c.soest.hawaii.edu/datadoc/ofes/ofes.php>).

### 2.3. The Parallel Ocean Program (POP)

#### 2.3.1. High-Resolution (POPH)

A nominal  $1/10^\circ$ , 42-level global configuration of the Los Alamos National Laboratory (LANL) Parallel Ocean Program was configured on a tripolar grid. The horizontal grid spacing at the equator is  $0.1^\circ$ , with the latitudinal spacing decreasing with cosine (latitude). The vertical levels are smoothly varying in thickness from 10 m at the surface to 250 m at the maximum depth of  $\sim 6000$  m. The model was initialized from year 30 of a century-long simulation carried out by Maltrud et al. [2010] using this same configuration, except that it was forced with monthly averaged “Normal Year (NY)” Coordinated Ocean-Ice Reference Experiments (CORE) atmospheric fluxes constructed by Large and Yeager [2009]. The simulation analyzed here was forced with CORE Phase 2 (CORE2) interannually varying forcing (IAF) for 1990–2007. The first 3 years of the simulation were considered an adjustment period to the high-frequency forcing. The subgrid-scale horizontal mixing was parameterized using biharmonic operators for momentum and tracers. The viscosity and diffusivity values vary spatially with the cube of the averaged grid length for a given cell and have equatorial values, denoted by the subscript 0, of  $\nu_0 = -2.7 \times 10^{10} \text{ m}^4 \text{ s}^{-1}$  and  $\kappa_0 = -0.3 \times 10^{10} \text{ m}^4 \text{ s}^{-1}$ . The vertical mixing was based on KPP. We extracted the daily averaged output in the subtropical North Pacific region ( $10^\circ\text{N}$ – $50^\circ\text{N}$ ,  $110^\circ\text{E}$ – $110^\circ\text{W}$ ) for this study where the horizontal grid resolution is around 8 km.

#### 2.3.2. Low-Resolution (POPL)

A noneddy-resolving POP simulation with a nominal horizontal resolution of  $1^\circ$  was carried out for comparative purposes with the high-resolution ocean simulations. The low-resolution model was first spun up from rest for 30 years using CORE NY forcing; it was then forced with CORE2 IAF for 1990–2007. The Gent and McWilliams [1990] parameterization for eddy-induced tracer transport was used with isopycnal and

thickness diffusion coefficients of  $600 \text{ m}^2 \text{ s}^{-1}$ . This value was chosen to be low to highlight the effects of resolved eddies on mode water formation and circulation when comparing the eddy-resolving (OFES and POPH) and noneddy-resolving (POPL) simulations. Submesoscale mixing was not active. The other parameterization choices were identical to those used to configure POP in the Community Climate System Model 4 (CCSM4) simulations [Danabasoglu *et al.*, 2012].

#### 2.4. Data Processing

Results based on AVISO observations and output from the three simulations are compared for the period 1994–2007. Argo observations, however, are only available from 2000 to 2013. To understand if results obtained from this shorter period Argo data would bias our interpretations, we compared results from the models and Argo for their overlapping period 2000–2007. We consider that the inconsistency between the time periods of the eddy-resolving simulations and observations will not cause large discrepancies in the mean features of mode water subduction.

Three-daily fields are used from POPH and OFES; the OFES fields are snapshots whereas the POPH fields are daily averages. Our study considers variability on much longer time scales, so our results will not be significantly affected by this difference. To provide further support for this choice, we also compared snapshot and daily averaged fields, including potential density and velocities, from the Kuroshio Extension Observatory (KEO) buoy [Cronin *et al.*, 2008], located to the south of the Kuroshio Extension current at  $32.3^\circ \text{N}$ ,  $144.6^\circ \text{E}$ . The difference between the snapshot and daily averaged fields is relatively small: it accounts for only  $\sim 3.9\%$  of the total variance. Therefore, the calculated results should be independent of the different archiving methods used for POPH and OFES.

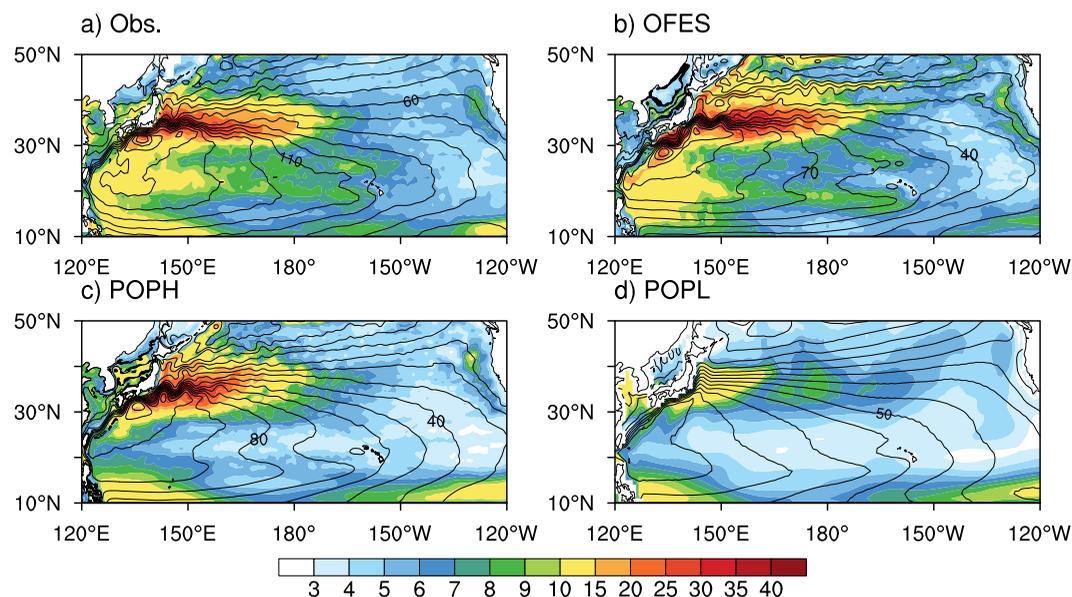
At a single station/grid point without information from its surroundings, data should cover at least several eddy life cycles to produce a statistically reliable mean field. Given that the mesoscale eddies in the subtropical North Pacific have a typical time scale of 100–200 days [e.g., Ebuchi and Hanawa, 2000], the 14 year time series of data and model output used in this study is long enough for this purpose. Following Smith *et al.* [2000], we estimated the first baroclinic Rossby radius for OFES and POPH, which is mostly  $> 10 \text{ km}$  in the subtropical North Pacific region (not shown). Typical length scales for mesoscale eddies are linearly related to the Rossby radius but are somewhat larger [Smith *et al.*, 2000], so the mesoscale eddies should be reasonably well resolved in the study region in OFES (uniform  $0.1^\circ$  resolution) and POPH (8 km in the study domain).

### 3. Comparison of the Mean Fields

With resolved eddies in the high-resolution models and observations, mean fields such as SSH, MLD, and PV may differ from those in the noneddy-resolving model. In order to examine the eddy effects on the large-scale climatology, this section compares the 1994–2007 mean fields related to mode water subduction among observations, OFES, POPH, and POPL.

#### 3.1. Sea Surface Height

Figure 2 depicts the mean and standard deviation of SSH in the study region from model simulations and observations. The observed mean SSH was taken from Rio *et al.* [2011] and the variance was calculated from the AVISO altimetry data. The geostrophic relation directly relates geostrophic currents at the ocean surface to the horizontal gradient of SSH. Compared to observations, the separation latitude (very close to  $34^\circ \text{N}$ ) of the Kuroshio current and the structure of the Kuroshio Extension (KE) jet are effectively reproduced in the eddy-resolving models (i.e., OFES and POPH), whereas a northward overshooting Kuroshio appears in POPL, a feature common to other noneddy-resolving models [Guo *et al.*, 2003]. The intensity of the eddy field can be assessed by comparing the simulated and observed standard deviation of the SSH variability. In eddy-resolving models, the variability and eddy activity in the Kuroshio Extension region are comparable to those of observations with a magnitude of  $\sim 30 \text{ cm}$ , even though the eddy activity in OFES is larger than in POPH, especially north of the KE around  $42^\circ \text{N}$ . By contrast, the noneddy-resolving model shows very low variability in the KE region. Just prior to separating from the coast of Japan, the Kuroshio in the OFES field shows a deep meander; this feature is not seen in AVISO or POPH. However, its effect on STMW and CMW subduction is considered to be small because its location is far from the STMW and CMW subduction regions.



**Figure 2.** Mean (contours in 10 cm intervals) and standard deviation (shaded in cm) of SSH from (a) observations (Obs.), (b) the Ocean Model for the Earth Simulator (OFES), (c) the Parallel Ocean Program with High-resolution (POPH), and (d) the Parallel Ocean Program with Low-resolution (POPL).

### 3.2. Mixed Layer Depth

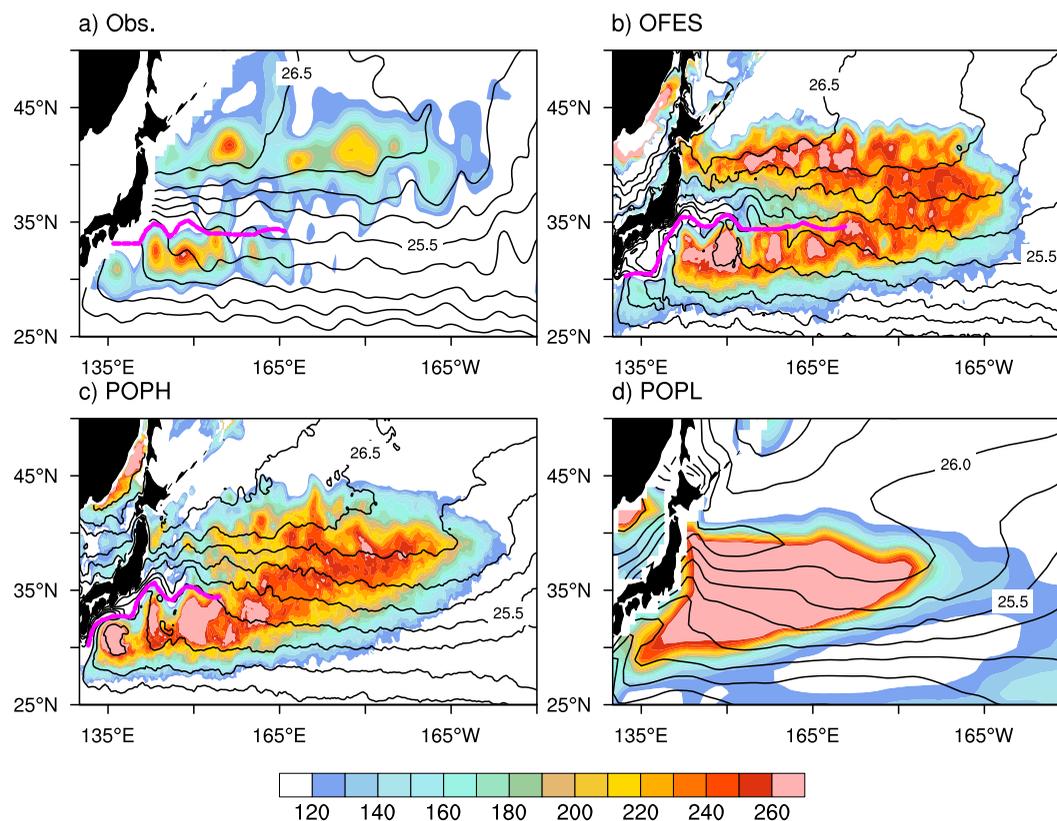
The mixed layer depth (MLD) is defined as the depth at which potential density is different from the sea surface (10 m) density by  $0.03 \text{ kg/m}^3$ . This simple definition has been adopted by numerous previous studies [e.g., Huang and Qiu, 1994; Suga et al., 2004]. We have confirmed that the resulting MLD was not particularly sensitive to a threshold ranging from  $0.01$  to  $0.125 \text{ kg/m}^3$ . The MLD reaches its annual maximum in March (Figure 3). There are two MLD maxima deeper than 150 m along  $32^\circ\text{N}$  and  $42^\circ\text{N}$  in the gridded Argo Data (Figure 3a). The northern band of deep MLD extends to  $165^\circ\text{W}$  and is associated with CMW, while the southern band extends to  $165^\circ\text{E}$  and is associated with STMW [Suga et al., 2004]. Sandwiched in between is a shallower mixed layer along the KE jet, extending from the western boundary to  $165^\circ\text{W}$ . The two eddy-resolving models, OFES and POPH, could only reproduce this “sandwiched structure” well in the upstream region of the KE (west of  $160^\circ\text{E}$ ), where the strong KE jet exists (Figures 3b and 3c). In the downstream region of the KE jet (east of  $170^\circ\text{E}$ ), the deep MLD in OFES and POPH becomes a single wide pool, whereas the deep MLD ( $>150 \text{ m}$ ) in observations is confined to north of  $37^\circ\text{N}$ . In POPL, there is only one single deep mixed layer pool, with a sharp MLD front slanted northeastward on the southern flank (Figure 3d). The MLD in POPH and OFES in the downstream KE, more closely matches the distribution of the noneddy-resolving model, POPL, than the observations. The cause of the model bias in MLD in the downstream portion of the KE is beyond the scope of this study, but it might be associated with surface heat flux biases (Figure 4); the patterns of March mean net surface heat flux from the models are somewhat correlated with the model MLD distributions.

### 3.3. Potential Vorticity

The PV distribution on the core layers of STMW and CMW from Argo, OFES, POPH, and POPL are seen in Figure 5. The PV ( $Q$ ) is calculated by

$$Q = - \frac{f}{\rho_0} \frac{\partial \rho}{\partial z}. \quad (1)$$

Here  $\rho$  is potential density,  $f$  is the Coriolis parameter, and  $\rho_0$  is a reference density ( $1024 \text{ kg/m}^3$ ). The acceleration potential relative to 2000 db is superimposed, approximating the streamfunction on isopycnal surfaces. The core layer of STMW or CMW is inferred from the total volume of the low-PV water

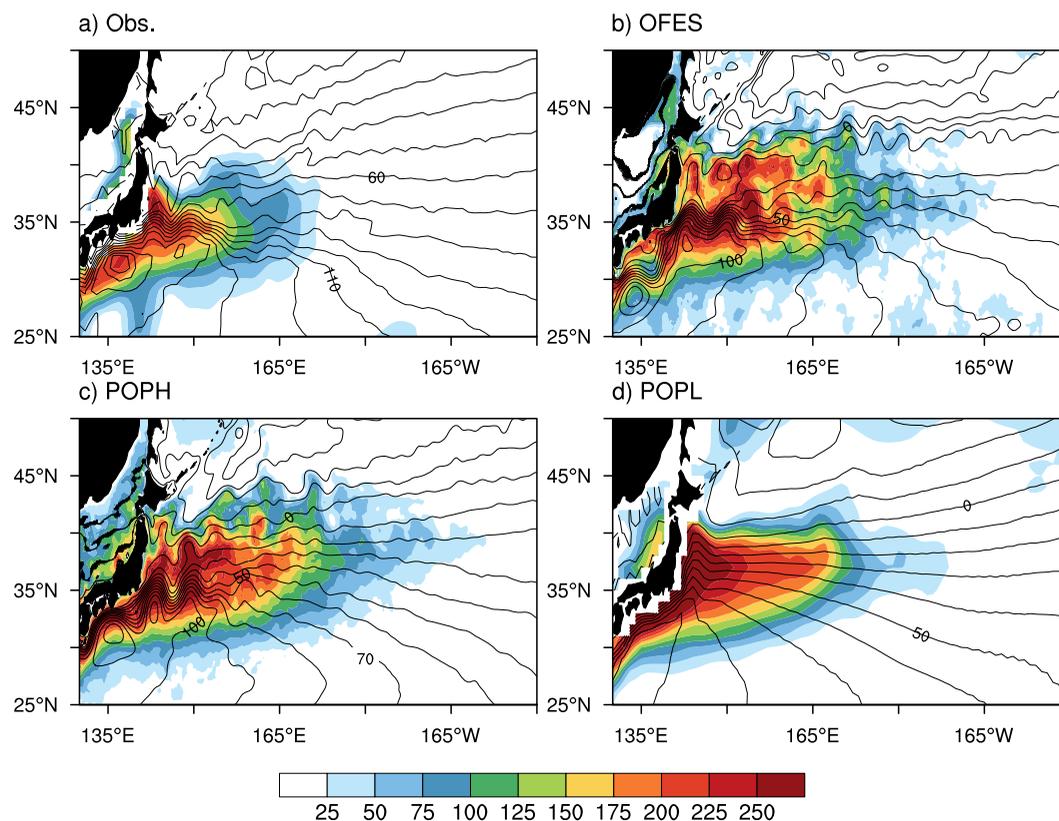


**Figure 3.** March mean MLD (color shade in m) and surface density (black contours in  $0.25 \text{ kg m}^{-3}$  intervals) for (a) Obs., (b) OFES, (c) POPH, and (d) POPL. The KE jet is denoted by a thick magenta line for Figures 3a–3c. Note that there is no magenta line in Figure 3d, because POPL could not simulate the KE jet.

( $< 1.5 \times 10^{-10} \text{ m}^{-1} \text{ s}^{-1}$ ) for the density class (Table 1 and the red curves of Figure 8) over the North Pacific ( $120^\circ\text{E}–140^\circ\text{W}$ ,  $20^\circ–40^\circ\text{N}$ ).

In the noneddy-resolving model POPL, the MLD front slants northeastward from the southwestern region of the subtropical gyre, whereas the outcrop lines slant southeastward due to the northward overshooting Kuroshio on the Japanese coast (Figure 3d). Mode water with minimum PV forms where the outcrop line intersects the MLD front between  $30^\circ\text{N}$  and  $34^\circ\text{N}$  (Figures 5g, 5h, and 6d) by lateral induction [Xie *et al.*, 2000]; the mode water (i.e., STMW or CMW) formation is limited to a narrow region, so narrow that we call it the subduction point (Figure 5, bottom). In observations (Figure 3a), the MLD gradient is weak and the outcrop lines are almost zonal and nearly in parallel with the MLD front, due to the jet and eddy effects. Mode water is formed in a broader zone along the outcrop line; the STMW and CMW formation is even found north of the MLD front (i.e., within the deep MLD region), implying that eddies are broadening the subduction zone. In the eddy-resolving models, the MLD front is stronger than in observations but is still weaker than in POPL, while the outcrop lines slant slightly southeastward, intersecting the MLD front to the east of  $165^\circ\text{E}$  (Figures 3b and 3c). Similar to observations, mode water is formed in a broader region along the outcrop line.

Figure 6 shows zonal mean sections of potential density, MLD, and PV between  $140^\circ\text{E}$  and  $180^\circ\text{E}$  for observations, OFES, POPH, and POPL. In the eddy-resolving models and observations (Figures 6a–6c), the vertical PV minimum is concentrated in a narrow density range (i.e.,  $25.2–25.4 \sigma_\theta$  for observations,  $25.2–25.6 \sigma_\theta$  for OFES and  $25.0–25.4 \sigma_\theta$  for POPH), whereas in POPL, the vertical PV minimum is found in a wide density range of  $25.3–26.0 \sigma_\theta$  (Figure 6d). PV dissipation along the mean trajectory of the low-PV tongue for the core layers of both STMW and CMW shows that downstream of the formation site the PV minimum persists over a long distance in POPL whereas it decays rapidly near the subduction site in the eddy-resolving models and observations (Figure 7), illustrating the strong dissipative role of mesoscale eddies. The comparison



**Figure 4.** March mean net surface heat flux (shaded in  $\text{W m}^{-2}$ , positive upward) and mean SSH (black contours in 10 cm intervals) for (a) Obs. from NCEP reanalysis, (b) OFES, (c) POPH, and (d) POPL.

of major features related to mode water subduction reveals large differences between the eddy-resolving and noneddy-resolving models. Due to the jet and eddy effects, mode waters in the eddy-resolving simulations are formed in a broader horizontal zone along the outcrop line, and the PV minimum tends to be confined to narrow density ranges near the formation region. In the next section, we investigate key mechanisms for eddy subduction.

#### 4. Subduction Rate

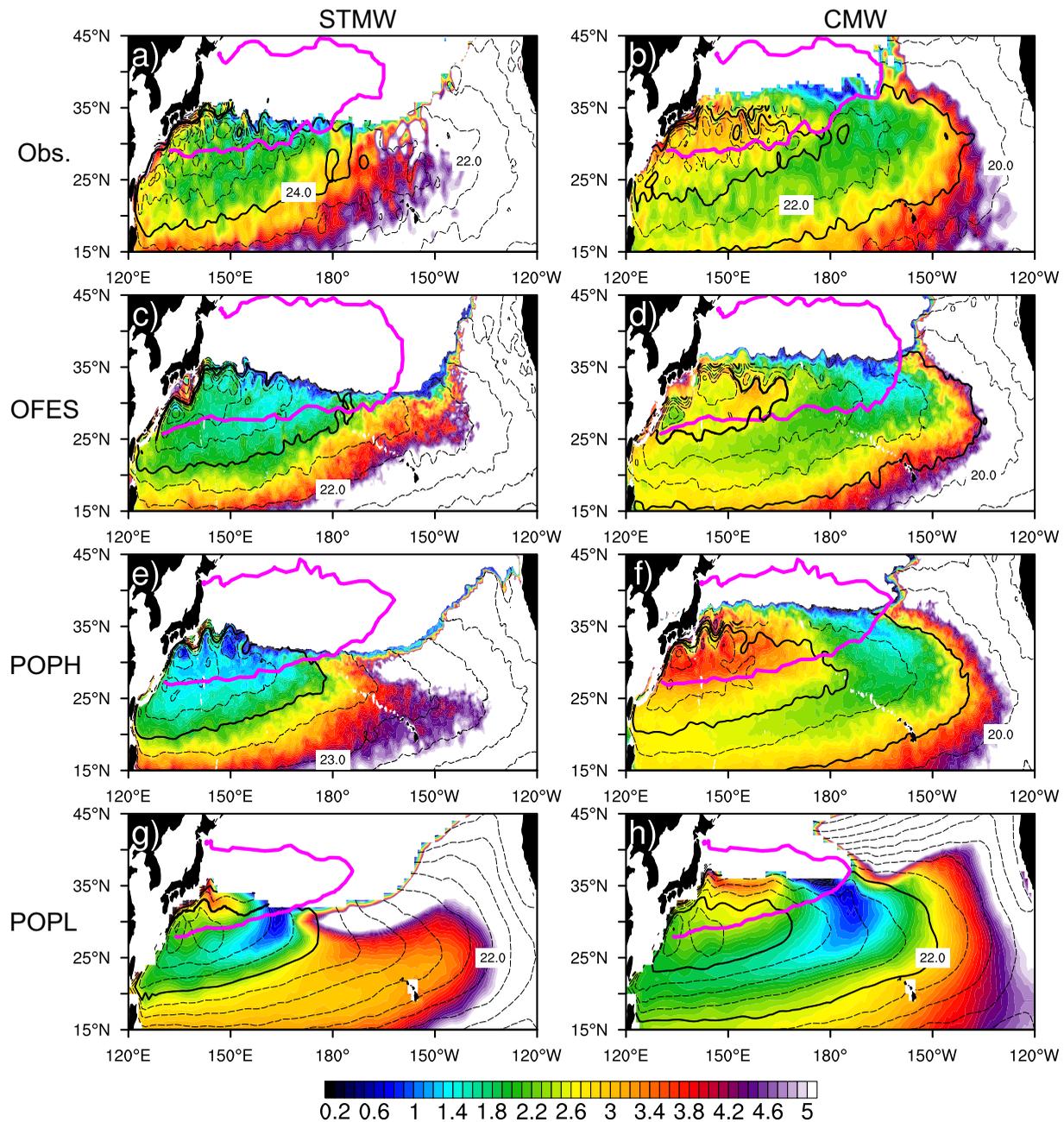
This section investigates the effects of mesoscale eddies by diagnosing the subduction rate from the models and observations. Section 4.1 gives the physical basis for how explicitly resolved mesoscale eddies contribute to the total subduction of a water mass, and section 4.2 quantifies the eddy subduction. Section 4.3 investigates the possible mechanisms of eddy subduction. Section 4.4 depicts the eddy subduction patterns by tracing the water parcels released at the base of the March mixed layer to calculate the effective annual subduction rate.

##### 4.1. Physical Basis for Analysis

According to *Cushman-Roisin* [1987] and *Williams* [1989, 1991], the subduction rate,  $S$ , is the volume flux of fluid per unit area entering the thermocline from the mixed layer:

$$S = - \left( \frac{\partial h}{\partial t} + \mathbf{u}_h \cdot \nabla h + w_h \right). \quad (2)$$

The subduction rate increases either through increasing the downward velocity at the base of the mixed layer,  $w_h$ , the rate of mixed layer shallowing,  $\partial h / \partial t$ , or the horizontal advection of fluid out of the mixed



**Figure 5.** March mean PV (shaded in  $10^{-10} \text{ m}^{-1} \text{ s}^{-1}$ ) and acceleration potential (black contours at  $1.0 \text{ m}^2 \text{ s}^{-2}$  intervals) on the core layers (see Table 1) of (left) STMW and (right) CMW. The top plots are for Obs., second from the top for OFES, third for POPH, and the bottom for POPL. The 100 m (150 m) MLD contour is plotted in thick magenta line to mark the MLD front for Obs. (OFES, POPH, and POPL).

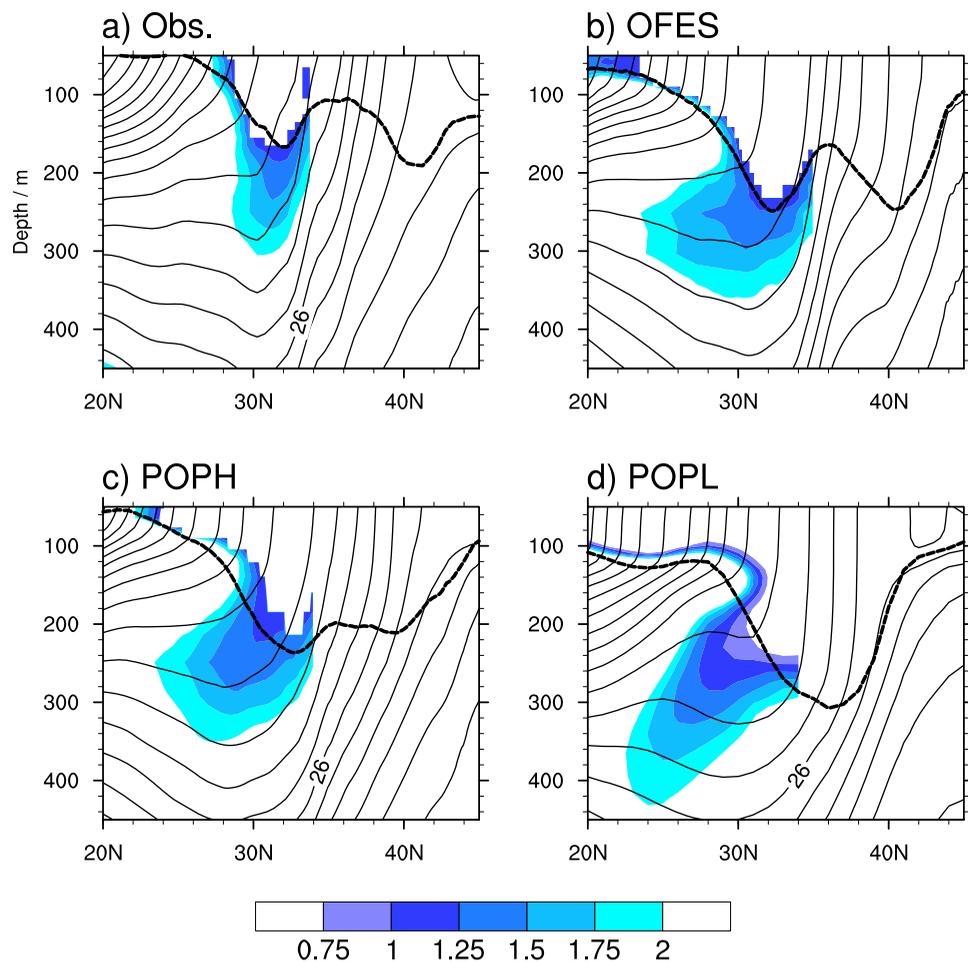
layer,  $\mathbf{u}_h \cdot \nabla h$ , where  $h$  is the thickness of the mixed layer. To quantify the net contribution of eddies to the total subduction, however, a simple Eulerian time-average of equation (2) is not appropriate since the surface area over which the water mass is outcropped is itself evolving [Marshall, 1997] (see also Figure 1). Adapted from Marshall [1997], the net subduction of water mass ( $M$ ) of a density range  $\sigma_1 \leq \sigma < \sigma_2$  is given by the local subduction rate  $S(t)$  multiplied by spacing,  $\Delta A(t)$ , between the two bounding outcrops,  $\sigma_1$  and  $\sigma_2$ :  $M = S(t)\Delta A(t)$ . Separating the fluid variables into “mean” and “eddy” components (e.g.,  $h = \bar{h} + h'$ ,  $\mathbf{u}_h = \bar{\mathbf{u}}_h + \mathbf{u}'_h$ ), where the “mean” represents a low-pass time-filtering operation over several baroclinic eddy life cycles, one finds

**Table 1.** List of Properties for STMW and CMW Includes the Core Layer Density, Density Range, Total Subduction ( $M_{total}$ ) and Its Components ( $M_{mean}$  and  $M_{eddy}$ ) Integrated for the Entire Density Range for Observations, OFES, POPH, and POPL

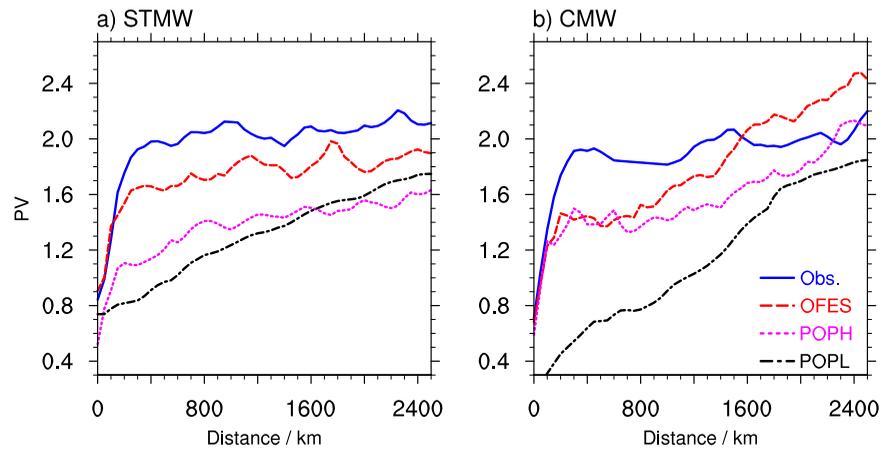
Data	Core Layer ( $\sigma_\theta$ )	Density Range ( $\sigma_\theta$ )	$M_{total}$ (Sv)	$M_{mean}$ (Sv)	$M_{eddy}$ (Sv)
<b>Observation</b>					
STMW	25.3	24.9–25.5	8.99	4.02	4.98
CMW	26.0	25.7–26.6	7.29	3.27	4.02
<b>OFES</b>					
STMW	25.3	25.2–25.6	13.10	2.77	10.33
CMW	26.2	26.0–26.4	11.78	4.37	7.42
<b>POPH</b>					
STMW	25.0	24.8–25.3	11.24	3.11	8.13
CMW	25.9	25.9–26.3	8.33	3.51	4.82
<b>POPL</b>					
STMW	25.4	25.3–25.8	4.31	3.74	0.57
CMW	26.0	26.0–26.4	6.20	5.81	0.39

$$\overline{M} = \overline{S(t)\Delta A(t)} = \{\overline{u'_h \cdot \nabla h} + \overline{w'_h}\} \overline{\Delta A} + \overline{\{u'_h \nabla h'\} \Delta A} + \overline{\left\{ \frac{\partial h}{\partial t} + u'_h \cdot \nabla h + w'_h \right\} \Delta A'} \quad (3)$$

The eddy subduction is defined as the second and third terms of the right-hand side of equation (3). Here  $\overline{\Delta A}$  is the outcrop area between time-mean outcrop lines for  $\sigma_1$  and  $\sigma_2$ , and  $\Delta A'$  represents the transient deviations from the time mean. While the MLD change term  $\frac{\partial h}{\partial t}$  vanishes over an annual cycle from the



**Figure 6.** March zonal mean (140°E–180°E) sections of potential density (black contours in 0.2 kg m<sup>-3</sup> intervals) and MLD (dashed black line) and PV (shaded in 10<sup>-10</sup> m<sup>-1</sup> s<sup>-1</sup>) for (a) Obs., (b) OFES, (c) POPH, and (d) POPL.



**Figure 7.** PV ( $10^{-10} \text{ m}^{-1} \text{ s}^{-1}$ ) dissipation along mean trajectory of the low-PV tongue for the core layers of (a) STMW and (b) CMW. The mean trajectory of the low-PV tongue is defined as between the streamlines (solid lines in Figure 5) which bound the low-PV water. The path is different among models and the two kinds of mode waters. The x axis is the distance from the mode water's subduction sites. The solid blue line is for Obs., the dashed red line is for OFES, the magenta dotted line for POPH, and the black dashed-dot line is for POPL (legend at the right bottom).

Eulerian viewpoint, its correlation with the spacing of the meandering density outcrops,  $\overline{\frac{\partial b'}{\partial t} \Delta A' \sigma}$ , causes large contributions to the total subduction, as shall be shown in section 4.3. Hereafter we use the bar sigma notation for the isopycnal average. The relationship between the potential vorticity (Q) of water subducted at the base of the mixed layer and the net subduction of water mass (M) is discussed in the Appendix A.

#### 4.2. Eddy Subduction

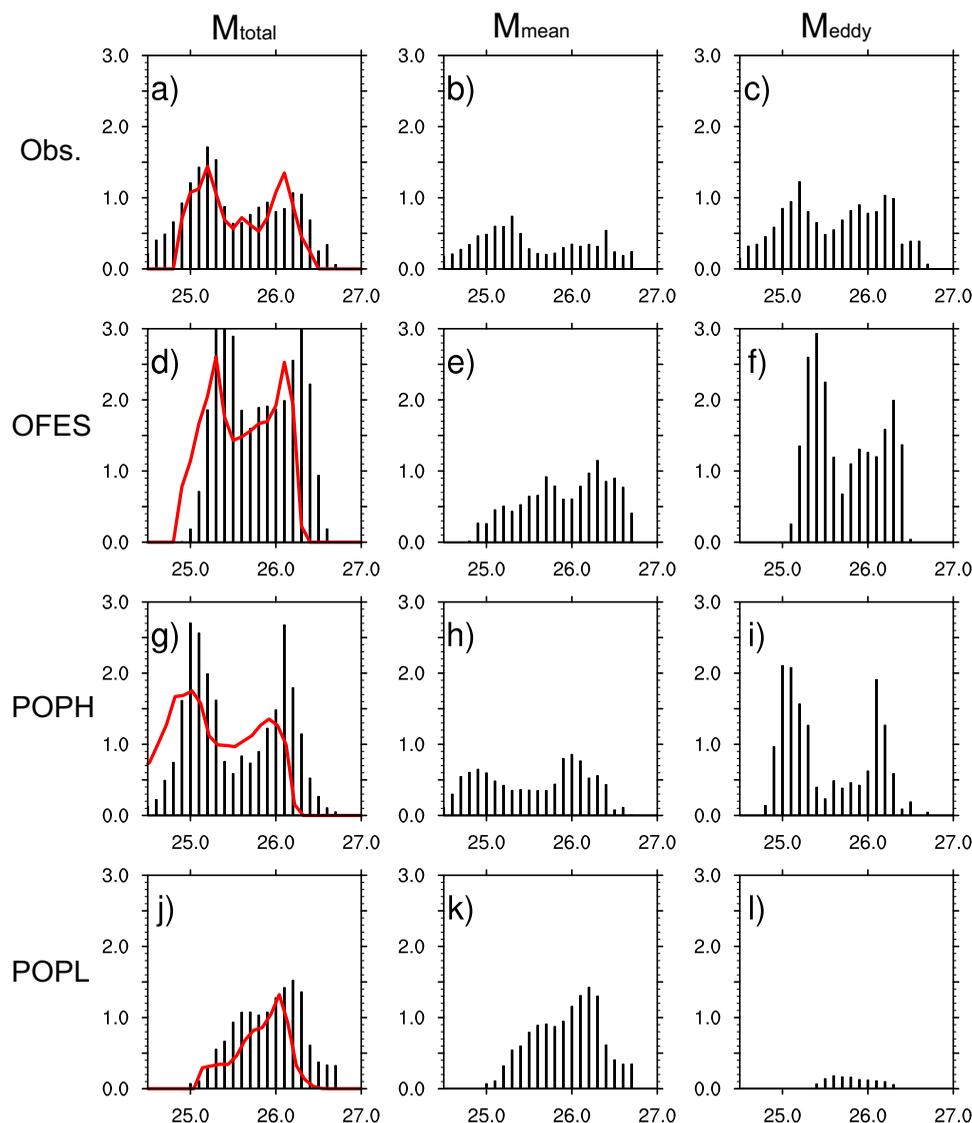
The water mass subduction,  $\bar{M}$ , illustrates the importance of eddies in the overall mass subduction from the mixed layer into the thermocline. However, equation (3) is not ideal for diagnosing eddy subduction. In this subsection, we develop a more practical expression. The annual subduction M of a density range ( $\sigma_1 \leq \sigma < \sigma_2$ ), following the time-dependent, meandering surface density outcrops, can be written as

$$\overline{M(\sigma_1 \leq \sigma < \sigma_2)} = \frac{1}{T} \int_0^T \left[ \sum_{\sigma_1 \leq \sigma < \sigma_2} S_{i,j}(t) \cdot \Delta A_{i,j} \right] dt, \quad (4)$$

where (i, j) is the horizontal grid index in the zonal and meridional directions in the calculation domain ( $135^\circ\text{E}$ – $155^\circ\text{W}$ ,  $25^\circ$ – $45^\circ\text{N}$ ),  $\Delta A_{i,j}$  is the area of the horizontal grid box that falls within the surface density range, t is time, and T is the averaging period. Similar to Nishikawa *et al.* [2010], we introduce three components of subduction: (1) total subduction  $M_{\text{total}}$ , calculated from the high-frequency output for 14 years (10 years from Argo); (2) mean subduction  $M_{\text{mean}}$ , calculated from monthly mean fields; and (3) eddy subduction  $M_{\text{eddy}}$ , the difference between the total and mean (i.e.,  $M_{\text{eddy}} = M_{\text{total}} - M_{\text{mean}}$ ).

Figure 8 shows the subduction and its components ( $M_{\text{mean}}$  and  $M_{\text{eddy}}$ ) at  $0.1 \sigma_\theta$  intervals for observations, OFES, POPH, and POPL. For observations, the geostrophic velocities were calculated from Argo hydrographic data [Huang and Qiu, 1994]. Eddy effects may be smoothed out in the observational result due to the use of the  $1^\circ \times 1^\circ$  gridded Argo data.  $M_{\text{eddy}}$  for the noneddy-resolving model is due to weak sub-monthly disturbances from the monthly mean fields and does not represent mesoscale eddy effects. Table 1 summarizes the total subduction and its components for STMW and CMW. These results are generally consistent with the results from Nishikawa *et al.* [2010], albeit with a slightly different study region. As in previous studies, eddies significantly increase the subduction of STMW and CMW.

The total subduction has two marked peaks in both the observations and the eddy-resolving models (OFES and POPH). The lighter density one corresponds to STMW, while the denser represents CMW. In comparison, a single broad peak appears in the CMW range in POPL (Figure 8j). As discussed in the last section, maximum subduction occurs where the outcrop line intersects the MLD front in the noneddy-resolving model [Xie *et al.*, 2011]. Together with the northeastward slanted MLD front and the southeastward slanted outcrop lines, large subduction (PV minimum) is almost equally distributed in a broad density range

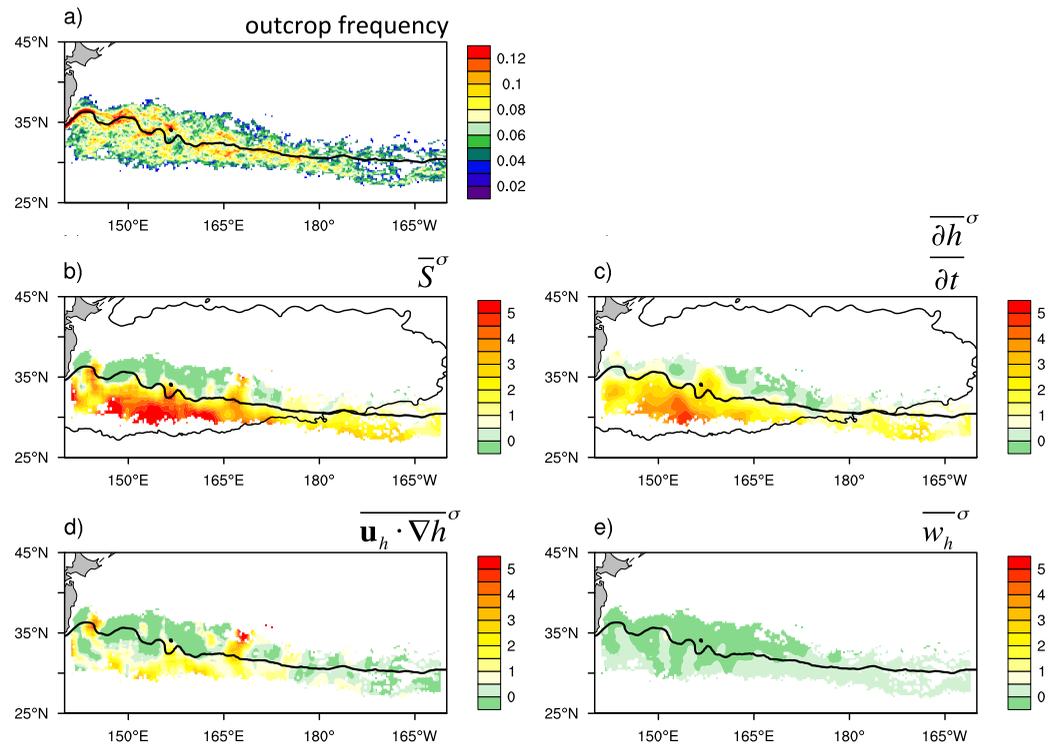


**Figure 8.** Total subduction ( $M_{total}$ ) and its components ( $M_{mean}$  and  $M_{eddy}$ ) for each density class ( $S_v$  in black bars). The calculation domain is  $135^{\circ}\text{E}$ – $155^{\circ}\text{W}$ ,  $25^{\circ}\text{N}$ – $45^{\circ}\text{N}$ . Left plots are for the total subduction ( $M_{total}$ ), middle plots for the mean subduction ( $M_{mean}$ ), and right plots for the eddy subduction ( $M_{eddy}$ ). The top plots are for Obs, second from the top for OFES, third for POPH, and the bottom for POPL. The red curve on the left plots is the total volume ( $10^{14} \text{ m}^3$ ) of the low-PV water ( $<1.5 \times 10^{-10} \text{ m}^{-1} \text{ s}^{-1}$ ) for each density class over the North Pacific ( $120^{\circ}\text{E}$ – $140^{\circ}\text{W}$ ,  $20^{\circ}\text{N}$ – $40^{\circ}\text{N}$ ).

(i.e.,  $25.3$ – $26.4 \sigma_{\theta}$ ). By contrast, in the eddy-resolving models and observations, the MLD gradient is weaker and the outcrop lines tend to be in parallel with the MLD front, due to jet and eddy effects. Subduction is concentrated in narrow density ranges (Figures 8a, 8d, and 8g) corresponding to those of the two deep MLD bands (Figures 3a–3c and 5a–5f). The mean subduction ( $M_{mean}$ ) peaks for STMW and CMW are present in observations and the eddy-resolving models, but have lower magnitudes. In contrast, the eddy subduction,  $M_{eddy}$ , is larger than  $M_{mean}$  with distinct peaks in the observations and OFES and POPH, implying important physical mechanisms for mode water subduction due to eddies.

#### 4.3. Physical Processes

The eddy effects on the subduction of STMW and CMW are quantified in the preceding subsection. This subsection identifies the physical processes of eddy subduction using the OFES 3 day outputs in the core layer of STMW ( $25.3 \sigma_{\theta}$ ). We choose the STMW layer for our study because the largest eddy subduction ( $10.33 \text{ Sv}$ ,  $\sim 80\%$  of the total subduction) occurs there, and because of good agreement with observations



**Figure 9.** (a) Outcrop frequency of the  $25.3 \pm 0.05 \sigma_\theta$  layer based on the OFES 3 day outputs in March from 1994 to 2007. The bottom four plots are the isopycnal subduction rate and its components (positive downward, shaded in  $10^{-5}$  m/s): (b) total subduction rate  $\bar{S}^\sigma$ , (c) temporal induction ( $\frac{\partial h}{\partial t}^\sigma$ ), (d) lateral induction ( $\mathbf{u}_h \cdot \nabla h^\sigma$ ), and (e) vertical pumping ( $w_h^\sigma$ ). The superscript  $\sigma$  indicates that it is averaged for a given isopycnal layer, distinct from the Eulerian mean. The mean  $25.3 \sigma_\theta$  outcrop line is denoted in thick black solid line, and the March mean MLD front in black solid line in Figures 9b and 9c.

regarding the simulation of STMW. The core STMW layer for our analysis is  $25.3 \pm 0.05 \sigma_\theta$ . We only diagnose subduction in March, the time of the year when the mixed layer is deepest and subduction is strong.

Figure 9a shows the outcrop frequency of the  $25.3 \pm 0.05 \sigma_\theta$  layer based on the OFES 3 day outputs in March from 1994 to 2007. The time-varying outcrop includes big meanders. The isopycnal subduction rate and its components are shown in Figures 9b–9e. The *isopycnal subduction rate*,  $\bar{S}^\sigma$ , is obtained by integrating the time-varying subduction rate (equation (2)) within the density range of  $25.25 \leq \sigma < 25.35$

$$\bar{S}^\sigma = \frac{\frac{1}{T} \int_0^T S_{ij}(t) \cdot \Delta A_{ij} \Big|_{25.25 \leq \sigma < 25.35} dt}{\frac{1}{T} \int_0^T \Delta A_{ij} \Big|_{25.25 \leq \sigma < 25.35} dt}. \quad (5)$$

The superscript  $\sigma$  indicates that it is average for a given isopycnal layer, distinct from the simple Eulerian-mean  $S$ . The time integration here is based on the OFES 3 day outputs in March for 14 years. The isopycnal subduction rate is decomposed into

$$\bar{S}^\sigma = \frac{\partial h}{\partial t}^\sigma + \mathbf{u}_h \cdot \nabla h^\sigma + w_h^\sigma. \quad (6)$$

The concept of the downward transport of  $\bar{S}^\sigma$  and its components is analogous to the eddy bolus transport or the eddy thickness transport [Marshall, 1997; Kwon *et al.*, 2013], which refers to the transport caused by the subgrid-scale correlation between the velocity of water mass and the thickness of isopycnal.

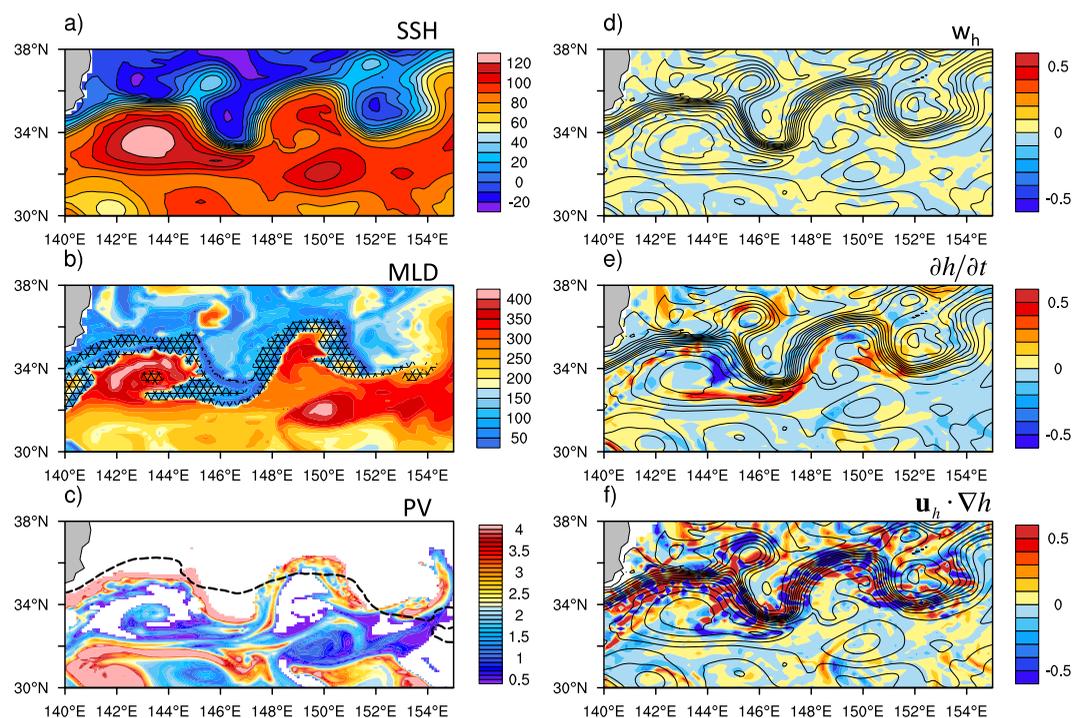
As shown in the last subsection, eddy subduction dominates the total subduction on  $25.3 \sigma_\theta$  in OFES. There is a broad eddy subduction zone extending from  $140^\circ\text{E}$  to almost  $160^\circ\text{W}$ , within the region of the deep mixed layer (Figure 9b). The maximum eddy subduction takes place south of the mean  $25.3 \sigma_\theta$  outcrop, dominated by the MLD tendency term (Figures 9c–9e),  $\frac{\partial h}{\partial t}$ , due to the cross correlation between the temporal variations in MLD and outcrop area. From a Eulerian point of view, the STMW and lighter CMW are formed in the case of large lateral induction by the mean flow [Suga *et al.*, 2008],  $U_h \cdot \nabla h$ , roughly at the intersection of the outcrop and MLD front in climate models [Xie *et al.*, 2000]. However, in an eddying ocean, the STMW and CMW are formed within the deep MLD region and to the south of the mean outcrop line (Figure 9b), implying very different physical mechanisms. The isopycnal subduction rate  $\bar{S}^\sigma$  peaks well south of the mean outcrop because eddy subduction is associated with the southward meanders of the outcrop line. In other words, immediately south of the mean outcrop, the isopycnal is occasionally exposed to the atmosphere by eddies. There, the STMW layer is not always shielded from the mixed layer as the climatology implies, but may be exposed to the mixed layer in the presence of eddies. The mixed layer waters are injected into the pycnocline as the mixed layer shoals in time in an expanded outcrop area, expressed as the  $\frac{\partial h}{\partial t}$  term.

Similar results are also obtained on other isopycnals, including both the STMW and CMW layers for OFES and POPH (not shown here). Along a similar line, Kwon *et al.* [2013] showed that the “seasonal eddy subduction,” due primarily to subannual correlations between the MLD and the outcrop area, contributed to mode water subduction in the Southern Ocean. They suggested that the eddy contribution is a key component of the “seasonal eddy subduction,” compared with the seasonal perturbations. Besides the eddy effects, surface outcrops also change their locations on seasonal to interannual time scales. Here the seasonal variation is eliminated since we only focus on subduction in March, while POPL results suggest that interannual variability in the winter outcrop is not the major cause of large subduction in mode-water density ranges (Figure 8i).

To determine how mode water is subducted by eddies, a snapshot from OFES on March 26th, 2000 is shown in Figure 10. The deep mixed layer occurs preferentially in anticyclonic eddies and the recirculation gyre. The mixed layer is relatively shallow in cyclonic eddies at the troughs of the meandering jet (Figures 10a and 10b). The instantaneous outcrop area (hatched pattern in Figure 10b) for the density range of  $25.25\text{--}25.35 \sigma_\theta$  intrudes to the south on the eastern flank of the anticyclonic eddies (e.g.,  $145^\circ\text{E}$ ), and is even found isolated inside anticyclonic eddies (e.g.,  $143.5^\circ\text{E}$ ). Low-PV water forms where the outcrop area meanders to the south (Figure 10c), with major subduction events taking place around  $144^\circ\text{E}$  and  $151^\circ\text{E}$ ,  $33^\circ\text{N}$  on the eastern flank of anticyclonic eddies. The three components of instantaneous subduction rate (RHS of equation (2)) are shown in the right panels of Figure 10. The newly formed low-PV water is generally collocated with the MLD tendency term  $\frac{\partial h}{\partial t}$  while it has little to do with the lateral induction and vertical pumping terms.

To generalize these findings, we make composites (Figures 11 and 12) of the eddy subduction terms for the isopycnal layer  $25.25\text{--}25.35 \sigma_\theta$  based on the OFES 3 day outputs in March from 1994 to 2007. The center locations for the composite are determined when the total isopycnal subduction rate (Figure 9b) exceeds  $4.0 \times 10^{-5} \text{ m/s}$ . For each case meeting this criterion, a square region ( $5^\circ$  latitude by  $7^\circ$  longitude), centered at the site of maximum isopycnal subduction, is extracted. Then all of these maps (626 cases) are averaged centered at the maximum isopycnal subduction. The statistical significance of the composite is evaluated using a *t* test.

Figure 11 shows the horizontal composite maps. Consistent with the snapshot (Figure 10), the eddy subduction takes place between the anticyclonic and cyclonic eddies, where the southward dense (cold) advection takes place (Figure 11a). The maximum outcrop area anomalies are collocated with the temporal shoaling of the MLD as the eddy pair with an eastward shoaling thermocline propagates westward (Figures 12a and 12b). The mixed layer water is soon to be sheltered from the surface as the MLD shoals in time, forming the mode water. Results from Figures 10 and 11 suggest that the correlation between the MLD tendency term and the meandering density outcrops, i.e.,  $\frac{\partial h}{\partial t} \Delta A^\sigma$ , is the dominant mechanism for eddy subduction. The center of the composite is displaced south of the winter mean outcrop latitude by  $1.8^\circ$  (Figure 9b). This corresponds to an increase of the isopycnal outcropping in southern meanders of the instantaneous outcrop line, giving rise to a cross correlation between the increased outcrop area and temporal shoaling of the



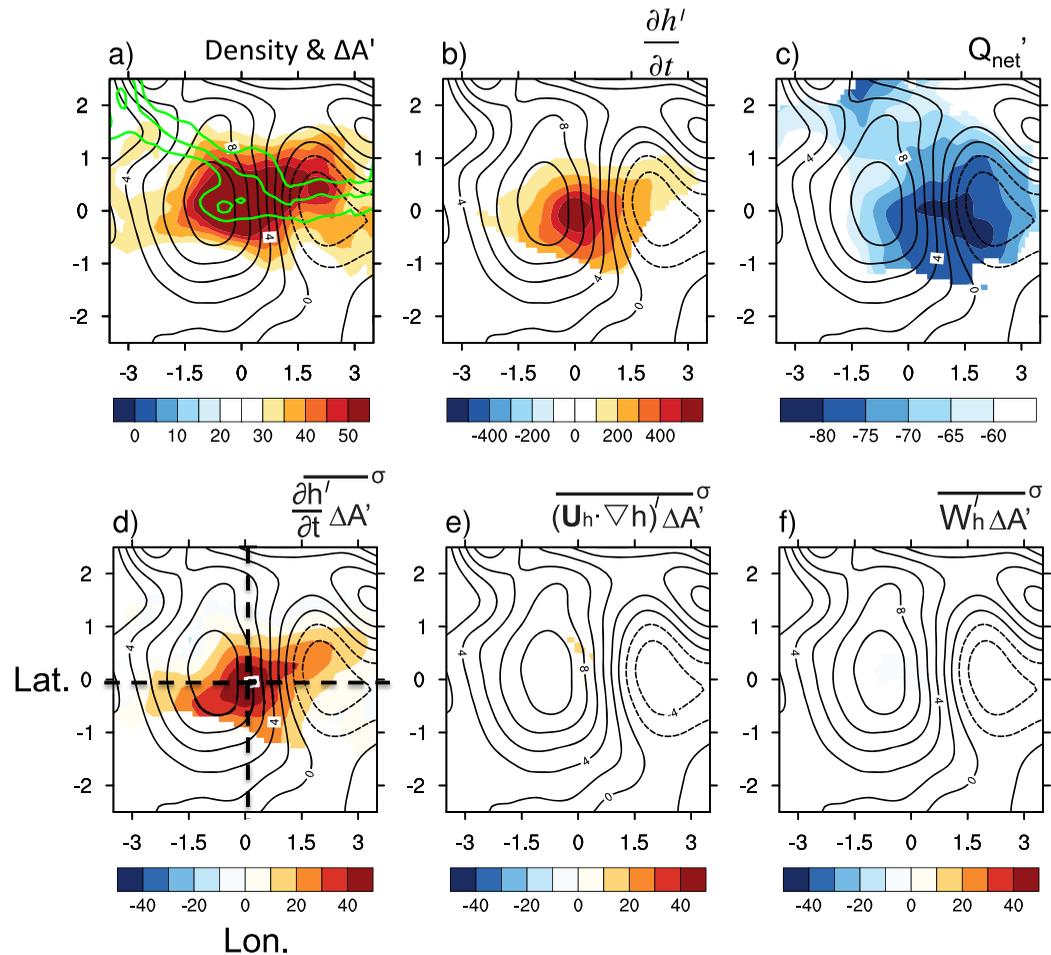
**Figure 10.** A snapshot from OFES on 26 March 2000. The left-hand plots include (a) SSH (shaded in cm, the reds/blues are for the anticyclonic/cyclonic eddies, respectively), (b) MLD (shaded in m) with the outcrop area of  $25.3 \pm 0.05 \sigma_\theta$  superimposed in black hatched patterns, and (c) PV (shaded in  $10^{-10} \text{ m}^{-1} \text{ s}^{-1}$ ) on  $25.3 \sigma_\theta$ , with the March mean  $25.3 \sigma_\theta$  outcrop line superimposed in black dashed line. The right-hand plots show the three components of the instantaneous subduction rate (positive downward, shaded in  $10^{-3} \text{ m/s}$ ): (d) vertical pumping  $w_h$ , (e) temporal induction  $\frac{\partial h}{\partial t}$ , and (f) lateral induction  $\mathbf{u}_h \cdot \nabla h$ . The SSH is superimposed in Figures 10d–10f as black contours in 10 cm intervals.

MLD. By contrast, the contributions from the lateral induction and the vertical pumping terms are small for isopycnal subduction (Figures 11e and 11f).

Figure 12 displays vertical transects of the composite. The deep mixed layer is often accompanied by a deep thermocline in anticyclonic eddies in the North Pacific, and vice versa [Suga and Hanawa, 1990; Uehara et al., 2003]. Eddy-induced thermocline displacements are much larger than the gyre-scale spatial variations of the thermocline depth. The potential temperature is warmer and the density is lighter in anticyclonic eddies relative to cyclonic eddies. The  $25.25 \sigma_\theta$  isopycnal is outcropped between the anticyclonic and cyclonic eddies, well south of its mean outcropping due to the dense (cold) advection. Three days later, the MLD becomes stratified partly due to the surface heating anomaly (Figures 11b, 11c, and 12a), and the  $25.25 \sigma_\theta$  isopycnal is no longer outcropped (red curves in Figure 12a), sheltered under the shoaling MLD as eddies travel westward. Both the surface heating anomaly and the west propagation of eddies are responsible for the MLD shoaling, sequestering low-PV waters from the surface. After subduction, the newly formed mode waters are advected to the south beneath the mixed layer by the southward flow between the anticyclonic and cyclonic eddies (Figures 12b and 12d). Being injected into the thermocline south of the March mean outcrop region, the water mass tends to stay in the thermocline, rather than being entrained into the mixed layer. Thus, the effect of the southward eddy flow that advects the subducted water parcels is not balanced by the effect of the northward eddy flow [Qu et al., 2002]. The next subsection illustrates this eddy subduction effect by tracing water parcels at the base of the March mixed layer for 1 year to calculate the effective annual subduction rate.

#### 4.4. Annual Subduction Rate

To obtain a geographic distribution of eddy effects on the subduction, the annual subduction rate is calculated by integrating the instantaneous subduction rate (equation (2)) over 1 year from the end of the first winter  $t_1$  to that of the second winter  $t_2$  in Lagrangian coordinates [Qiu and Huang, 1995]:

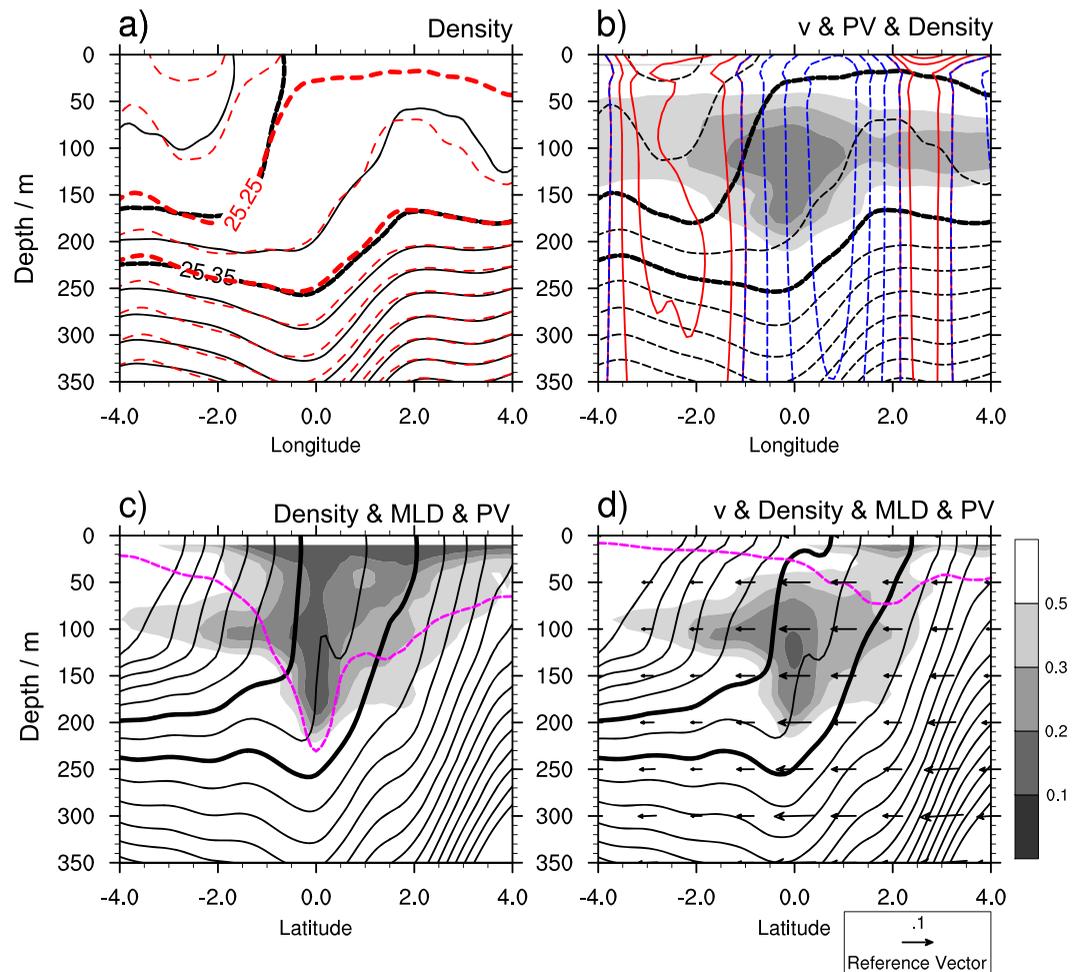


**Figure 11.** Composite of eddy subduction process based on OFES 3 day outputs in March from 1994 to 2007. The center locations are where the maximum eddy subduction takes place. (a) Outcrop area anomalies  $\Delta A'$  ( $\text{km}^2$ ; outcrop frequency of the  $25.3 \pm 0.05 \sigma_\theta$  layer times the grid bin area), together with surface density contours of 25.25, 25.30, and 25.35  $\sigma_\theta$  in green; (b)  $\frac{\partial h'}{\partial t}$  (positive downward in  $10^{-6}$  m/s intervals); (c) net heat flux anomalies  $Q_{\text{net}}$  ( $\text{W}/\text{m}^2$ , negative downward). Three components of the isopycnal subduction (subduction rate times outcrop area within  $25.3 \pm 0.05 \sigma_\theta$ ; positive downward in  $10^{-3}$  Sv): (d) MLD tendency term  $\frac{\partial h'}{\partial t} \Delta A'$ ; (e) lateral induction  $(\mathbf{u}_h \cdot \nabla h) \Delta A'$ ; and (f) vertical pumping  $w_h \Delta A'$ . Only values passing 95% confidence level are shown. The SSH anomalies (black contours at 2 cm intervals; negative values dashed) are superimposed. The thick black dashed lines in Figure 11d indicate the positions for the composite transections in Figure 12.

$$S_{\text{ann}} = \frac{1}{T} \int_{t_1}^{t_2} S(t) dt = -\frac{1}{T} \int_{t_1}^{t_2} w_h dt + \frac{1}{T} (h(t_1) - h(t_2)), \quad (7)$$

where  $T = 1$  yr. The first term on the right-hand side represents the vertical pumping at the base of the mixed layer averaged along the Lagrangian trajectory, and the second term the contribution from temporal/lateral induction due to the sloping mixed layer base. In the following, we trace water parcels released at the base of the March mixed layer using three-daily fields to examine the eddy contribution. The total subduction rate,  $S_{\text{total}}$ , is calculated using the instantaneous model outputs, while the mean subduction rate,  $S_{\text{mean}}$ , is calculated using monthly mean fields. The eddy-induced subduction rate,  $S_{\text{eddy}}$ , is measured simply as the difference between  $S_{\text{total}}$  and  $S_{\text{mean}}$  following *Qu et al.* [2002].

The annual subduction rate and its components are shown in Figure 13. The eddy subduction,  $S_{\text{eddy}}$ , is as large, and perhaps larger than the subduction by the mean flow. The spatial distributions of the eddy and mean flow subduction are different: eddy subduction happens in a broader zone (mostly inside the deep mixed layer region), whereas strong subduction by the mean flow is concentrated along the MLD front as



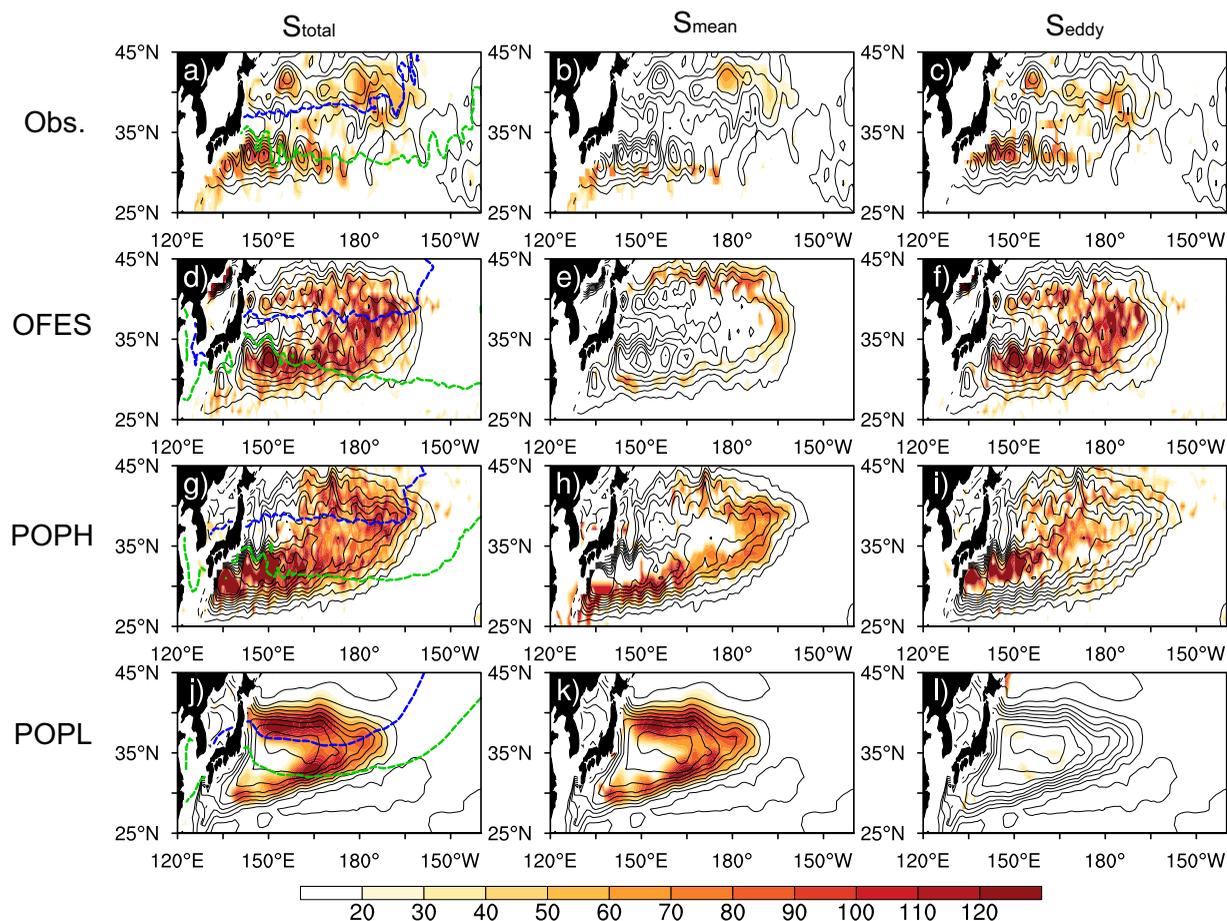
**Figure 12.** (a, b) Zonal and (c, d) meridional vertical sections of the composite as shown in Figure 11d. The zonal sections are for (a) potential density (black contours at  $0.05 \text{ kg m}^{-3}$  intervals), with the 3 day lagged field superimposed in red dashed contours (the 25.25 and 25.35  $\sigma_\theta$  contour thickened); (b) low-PV (shaded in  $0.1 \times 10^{-10} \text{ m}^{-1} \text{ s}^{-1}$  intervals), meridional velocity (red contours for northward flow and blue dashed contours for southward flow), and potential density (the 25.25 and 25.35  $\sigma_\theta$  contours thickened). The meridional sections are for (c) low-PV (gray shaded), MLD (magenta line), and potential density (black contours, the 25.25 and 25.35  $\sigma_\theta$  contours are highlighted in thick line), and (d) same as in Figure 12c with the 3 day lagged values, the southward flow is shown by vectors at m/s.

in POPL, implying the importance of lateral induction for the latter. These features are consistent with the mode water formation patterns discussed in the preceding section. The mode water formation transforms from a narrow subduction point in noneddy-resolving POPL, to a broader subduction zone in the eddy-resolving simulations due to the strong eddy subduction processes.

In this section, we have diagnosed the subduction rate in three different ways to investigate the direct eddy effects. We find that eddies significantly increase the subduction rate and expand the subduction region inside the deep mixed layer. South of the March mean outcrop line the isopycnal is occasionally exposed to the atmosphere by eddies in southward meanders of the outcrop line. That is the time when strong subduction happens via the MLD shoaling.

### 5. Summary

We have investigated the role of eddies on the subduction of North Pacific mode waters based on a comparison of observations and two eddy-resolving OGCMs and one noneddy-resolving OGCM. Subduction differs greatly between eddy-resolving and noneddy-resolving models. In the noneddy-resolving model, subduction on a given isopycnal is concentrated at the intersection of the MLD front and the outcrop, so narrow that it may be called subduction point. In eddy-resolving models and observations, by contrast,

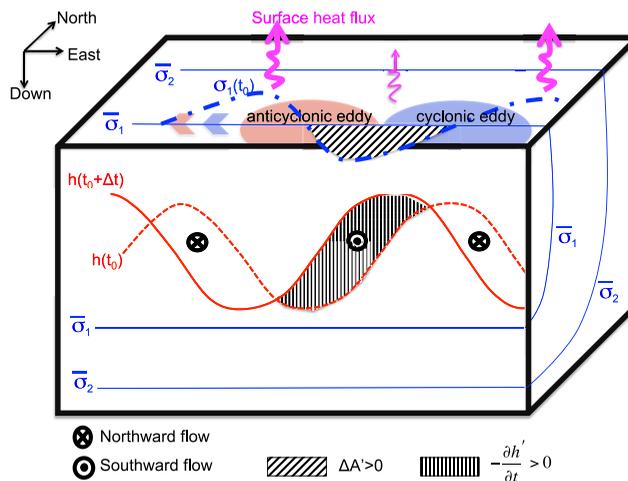


**Figure 13.** The annual subduction rate  $S_{total}$  (positive downward, shaded in m/yr) based on (left) high-frequency model outputs and (middle) its constituents of the mean subduction  $S_{mean}$  and (right) eddy subduction  $S_{eddy}$ . The top plots are for Obs., second from the top for OFES, third for POPH, and bottom for POPL. Only the positive values are plotted. The March climatology MLD ( $>100$  m) is superimposed in black contours at 25 m intervals. The outcrops for the core density of STMW (green line) and CMW (blue line) are denoted on the left-hand plots.

subduction takes place in a broader zone, inside the region of deep MLD. The March mean MLD front, which is a narrow transition zone separating shallow and deep mixed layers, is less pronounced in eddy-resolving models than in the noneddy-resolving model. The realistic separation of the Kuroshio from the Japanese coast and the strong Kuroshio Extension jet make outcrop lines tend to be zonal in the eddy-resolving models. Both of these effects allow subduction to occur in a broader zone. In addition to widening the subduction region, eddies significantly increase the total subduction rate. Strong eddy subduction takes place in the deep mixed layer region in contrast to the noneddy-resolving model where subduction by the mean flow is confined to the MLD front.

A key finding of our study is that eddy subduction takes place south of the mean winter outcrop line between an anticyclonic eddy with a deep mixed layer to the west and a cyclonic eddy with a shallow mixed layer to the east (Figure 14). There, the eddy pair causes the outcrop line to meander southward by dense (cold) advection, and the MLD shoals with time via surface heating anomaly and the west propagation of eddies. The cross correlation between the temporal shoaling of the mixed layer and southward migration of the outcrop line intensifies subduction. Advected by the southward flow between the anticyclonic and cyclonic eddies, the subducted water mass moves southward beneath the upper thermocline.

Substantial differences exist in the North Pacific mode water simulation between eddy-resolving and noneddy-resolving models. Further work, however, needs to be done to realistically simulate MLD in eddy-resolving models. We note that the MLD in eddy-resolving models is much deeper than in observations.



**Figure 14.** Schematic illustrates the eddy subduction process. With an anticyclonic eddy to the west and a cyclonic eddy to the east, the instantaneous outcrop line  $\sigma_1(t_0)$  meanders south, where the isopycnal is occasionally exposed to the atmosphere by eddies. This increasing outcrop area is collocated with the temporal shoaling of MLD from the red dashed line  $h(t_0)$  to the solid red line  $h(t_0 + \Delta t)$  as the eddy pair travels westward. The isopycnal  $\sigma_1$  is soon to be sheltered from the surface as the MLD shoals in time, forming the mode water. The cross correlation between the temporal shoaling of the MLD,  $\frac{\partial h}{\partial t}$ , and the increasing outcrop area,  $\Delta A'$ , intensifies subduction. The southward eddy flow then carries the subducted water mass into the thermocline.

along the low-PV tongues of the core layers of STMW and CMW. Such nonconservative properties of mode water PV in observations and eddy-resolving models have important implications in regard to their effects on the North Pacific subtropical countercurrent [Kubokawa, 1997; Kobashi et al., 2006; Xu et al., 2012b] and ocean stratification in general. Dissipation of mode waters and the effects of eddies are important subjects of future studies. Ocean University of China just completed a field experiment immediately south of the winter mean outcrop line of the STMW core density southeast of Japan [Xie, 2013]. The results from the analysis of the field observations will shed light on eddy subduction and dissipation processes.

## Appendix A: Relationship Between the Potential Vorticity of the Subducted Fluid (Q) and the Net Subduction of the Water Mass (M)

The Potential Vorticity (PV) in the ventilation regime may be defined in terms of fluid leaving the mixed layer and entering the stratified thermocline (Figure A1); see the discussion of Williams [1989, 1991]. The PV of water subducted at the base of the mixed layer is expressed as

$$Q = -\frac{f \Delta \rho / \Delta t}{\rho_0 \Delta z / \Delta t} = \frac{f}{\rho_0} \frac{\frac{\partial \rho_h}{\partial t} + \mathbf{u}_h \cdot \nabla \rho_h}{-\left(\frac{\partial h}{\partial t} + \mathbf{u}_h \cdot \nabla h + w_h\right)}, \quad (\text{A1})$$

where  $\rho_h$  is the mixed layer density,  $h$  the MLD,  $\mathbf{u}_h$  and  $w_h$  are the horizontal and vertical velocities at the base of the mixed layer, respectively, and  $\nabla$  is the horizontal differential operator. The water acquires low Q through (i) an increase in the subduction rate,  $S = -\left(\frac{\partial h}{\partial t} + \mathbf{u}_h \cdot \nabla h + w_h\right)$ , or (ii) a decrease in the rate of mixed layer warming,  $\frac{\partial \rho_h}{\partial t}$ , or cross-isopycnal flow,  $\mathbf{u}_h \cdot \nabla \rho_h$ .

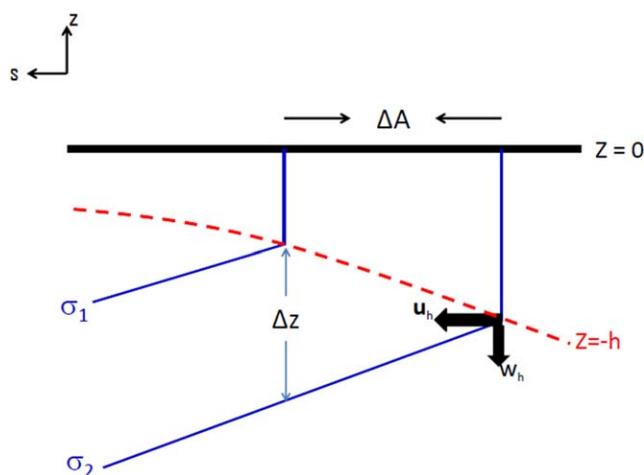
Following Marshall [1997], the net subduction of the water mass (M) of a density range  $\sigma_1 \leq \sigma < \sigma_2$  is given by the local subduction rate S multiplied by spacing,  $\Delta A$ , between the two bounding outcrops,  $\sigma_1$  and  $\sigma_2$

$$M = S \Delta A. \quad (\text{A2})$$

The outcrop area bounding the subducted water mass,  $\Delta A$ , is inversely proportional to the downstream gradient of the mixed layer density,  $\frac{\mathbf{u}_h \cdot \nabla \rho_h}{U_h}$ , where  $U_h$  is the horizontal current speed (Figure A1). Equation (A1) can be recast as

Specifically in the eastern part of the Kuroshio Extension, eddy-resolving and noneddy-resolving models share a common deficiency: the winter mixed layer is too deep, forming a broad pool of deep MLD instead of a narrow deep MLD band north of the KE jet in observations. This deficiency in MLD simulation is likely to affect CMW formation.

Our results indicate that eddies significantly increase the total subduction rate, by up to 50%. However, the mode waters are dissipated quickly after being subducted into the thermocline (Figures 5–7), not conforming to the key assumption of PV conservation in ventilated thermocline theories. In noneddy-resolving models, isopycnal PV dissipates too slowly



**Figure A1.** Schematic diagram showing water parcels subducted from the mixed layer ( $z = -h$ ) within a density range  $\sigma_1 \leq \sigma < \sigma_2$ . The horizontal coordinate is aligned parallel to the horizontal flow. The blue solid lines represent isopycnals and the red dashed line is the base of the mixed layer. The area over which the water mass is outcropped at the sea surface,  $\Delta A$ , is inversely proportional to the downstream mixed layer density gradient  $\frac{u_h \nabla \rho_h}{U_h}$ .

$$Q \propto \frac{f}{\rho_0} \left( \frac{\partial \rho}{\partial t} \Delta A + U_h \Delta \rho \right) \frac{1}{S \Delta A} = \frac{f}{\rho_0} \left( \frac{\partial \rho}{\partial t} \Delta A + U_h \Delta \rho \right) \frac{1}{M}, \quad (\text{A3})$$

where  $\Delta \rho = \sigma_2 - \sigma_1$ . Thus  $M$  is related to potential vorticity at the time of subduction. Subducted water acquires low PV in the case of large subduction ( $M$ ).

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