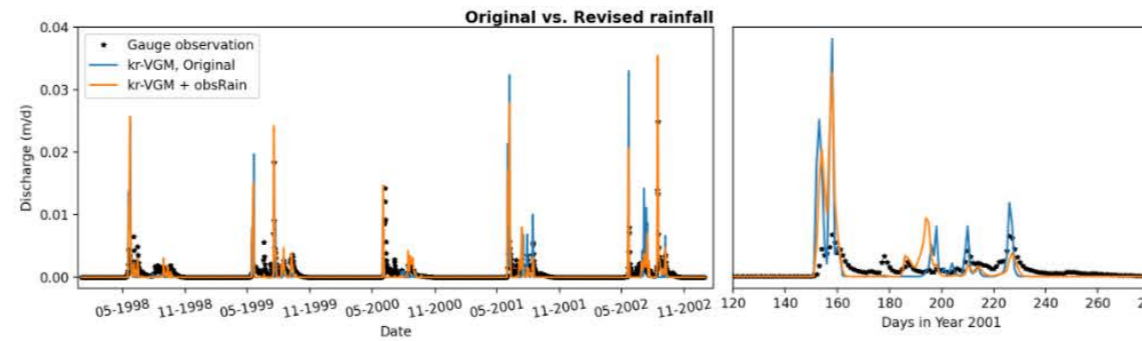


## Motivations

- Follow-on work based on All-Hands meeting, 2022.
- Proposed a novel model conceptualization for watershed-scale permafrost simulations and applied to a small catchment in Sagavanirktok (Sag) River basin.
  - Watershed decomposition to subcatchments
  - Parameterization of subcatchments to 2D hillslopes
  - Hillslope-scale simulations of freezing-thaw cycles by ATS (Advanced Terrestrial Simulator)
  - External river routing using hillslopes discharges by MOSART (Model for Scale Adaptive River Transport)
- Issues: significant bias in simulated discharge compared to gauge observations.
  - Overestimated discharge peaks during snowmelt dominated period.
  - Underestimated discharge (keeps zero) during spring after snow melt.
  - Inappropriate representation of infiltration-runoff partitioning.
- Solutions:
  - Used rainfall data from a weather station of the neighbor catchment (Imnavait).
  - Improved the relative permeability model.
  - Modified aerodynamic resistance term.

## Discharge Improving Progress

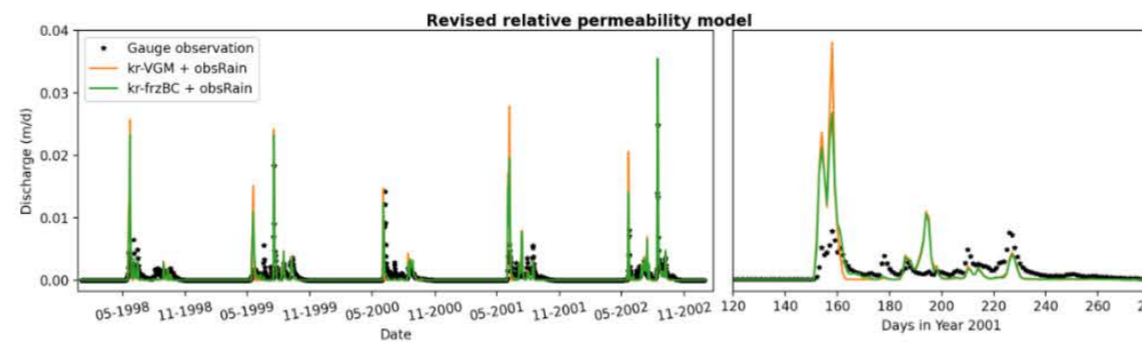
1. Use rainfall data collected from a neighbor weather station.



Equilibrium assumption of homogeneous porous media does not perform well for permafrost simulations in these area due to macropores.

- To introduce non-equilibrium dual-permeability model;
- To modify relative permeability model to allow water moving deeper instead of keeping at very shallow surface.

2. Replace van Genuchten Mualem based kr to a model proposed by Niu & Yang (2006).



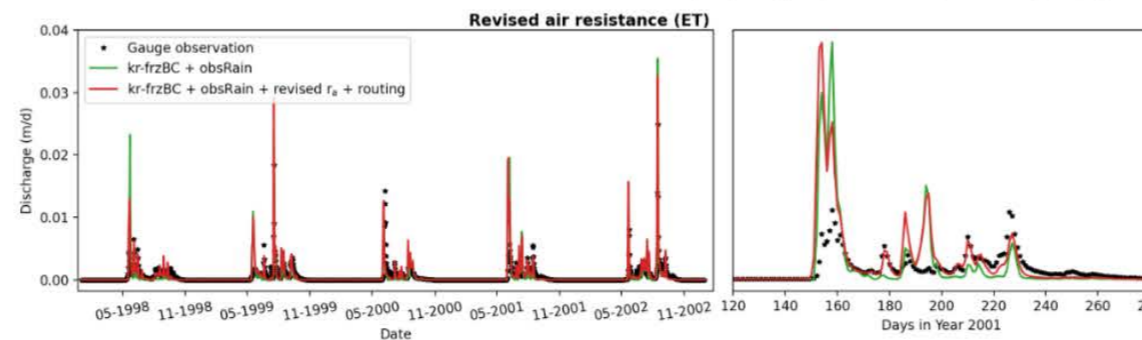
$$kr_{VGM} = \left( \frac{\theta_{liq} - \theta_r}{\theta_{sat} - \theta_r} \right)^l \left\{ 1 - \left[ 1 - \left( \frac{\theta_{liq} - \theta_r}{\theta_{sat} - \theta_r} \right)^{1/m} \right]^m \right\}^2$$

Let water move deeper.

$$kr_{frzBC} = (1 - F_{frz}) \left( \frac{\theta}{\theta_{ice} + \theta_{liq}} \right)^{(2b+3)}$$

$$F_{frz} = e^{-\omega(1-\theta_{ice}/\theta_{sat})} - e^{-\omega}$$

3. Revise air resistance term to include microtopography effect [ $E = \Delta q / (r_a + r_s)$ ]



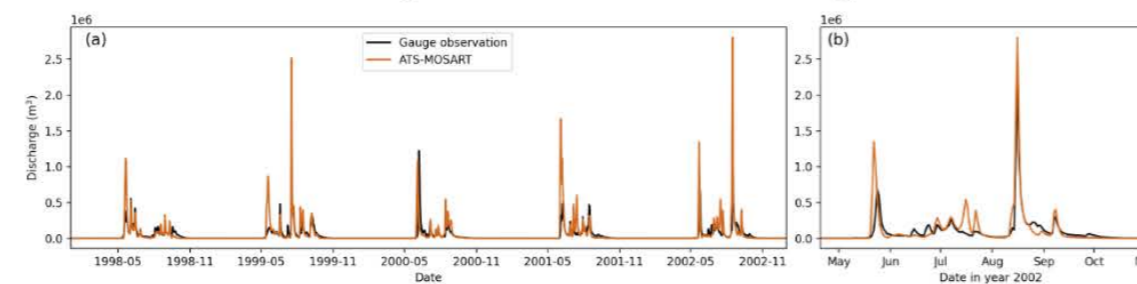
$$r_a = \frac{1}{\kappa^2 u} \ln \left( \frac{z_{ref}}{z_{0v}} \right) \ln \left( \frac{z_{ref}}{z_{0m}} \right)$$

Hold water in soil

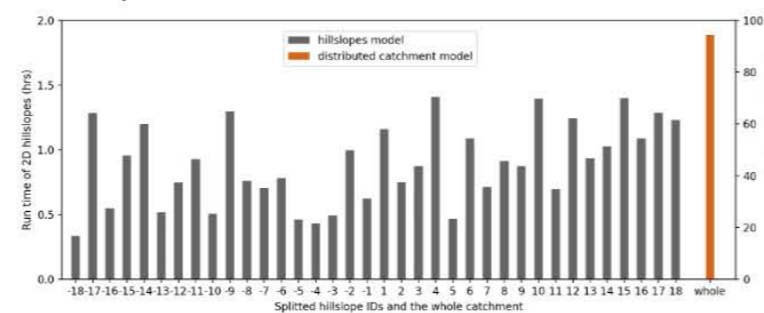
$$z_{0v} = z_{0m} \longrightarrow \ln \left( \frac{z_{0v}}{z_{0m}} \right) = -\kappa \left\{ a \left( \frac{u_* z_{0m}}{\nu} \right)^b - \left[ m \ln \left( \frac{u_* z_{0m}}{\nu} \right) + n \right] \right\}$$

testing

4. ATS + MOSART vs. Gauge observation under freezing conditions.

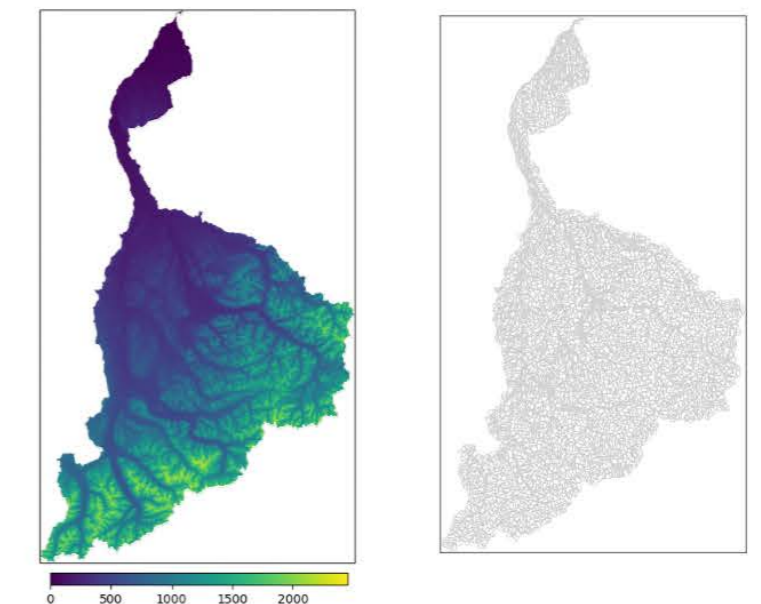


Runtime: 3D distributed model vs. model conceptualization under non-frozen conditions.

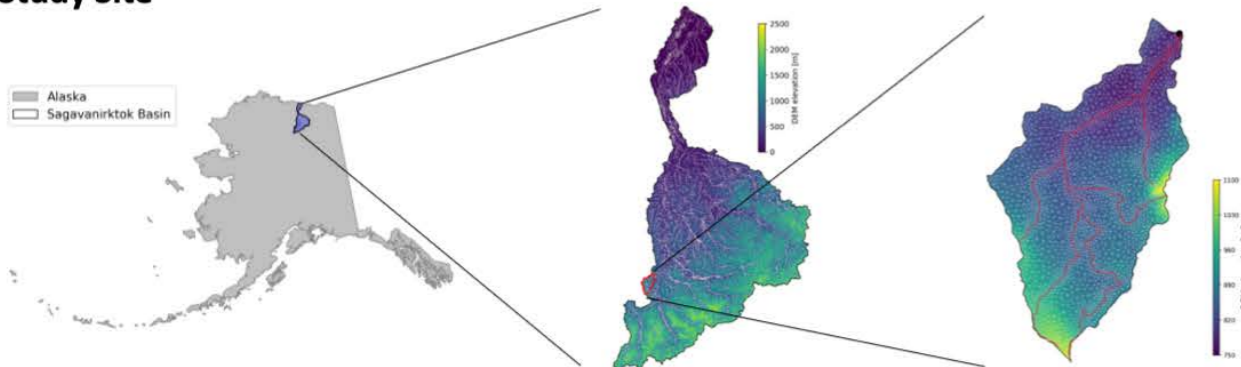


## Work in progress

- Parameterization of 6498 hillslopes of Sag river basin.
- ATS simulation of the 6498 hillslopes.



## Study Site

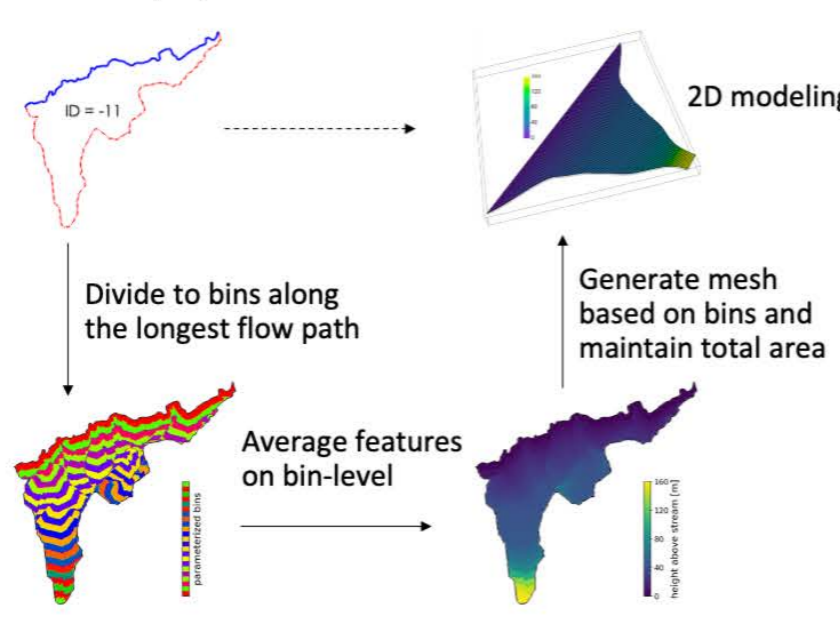


## Model Conceptualization

### Catchment decomposition



### Hillslope parameterization and ATS simulation



### MOSART river routing

